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Semantics Research Group, Tokyo, October 25<sup>th</sup> 2013

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#### 1.1. Aims of this talk

(1) Of John, Bill and Mary, who came to the party? - John came.  $\rightarrow$  Mary and Bill didn't. (exhaustivity)

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• Ensure that your answer is interpreted exhaustively?

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(1) Of John, Bill and Mary, who came to the party?- John came. → Mary and Bill didn't. (exhaustivity)

As a speaker, how can you:

- Ensure that your answer is interpreted exhaustively?
- Prevent that your answer is interpreted exhaustively?

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An implicature, the supposition of which is necessary for maintaining the assumption that the speaker is cooperative.

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Wrong, it does!

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- 3. She believes that Mary didn't come
  - It is empirically inadequate:
- (2) I'm probably asking the wrong person, but of John, Bill and Mary, who came to the party?
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but how?!

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#### Attempted 'remedies':

- Replacing 'relevance' by lexical scales (since Horn, 1972).
- Blindly negating alternatives by covert operators (mainly since Chierchia, et al., 2008).

I will show that none of this is necessary.

Without the opinionatedness assumption.

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- Through the maxim of Relation.

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## Part II: Intonation and exhaustivity

Focus further reduces contextual uncertainty.

- Without the opinionatedness assumption.
- Through the maxim of Relation.

- Focus further reduces contextual uncertainty.
- How the final rise prevents exhaustivity.

- 2. Diagnosis
- 3. Theory
- 4. Results

# 2. Diagnosis

(3) a. Of John, Bill and Mary, who came to the party?
b. John came. 
→ Mary didn't come

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- Intuition

(3b) and (3c) differ in their attentive content.

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#### Intuition

(3b) and (3c) differ in their attentive content.

• (3c) draws attention to the poss. that Mary came too.

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(3b) and (3c) differ in their attentive content.

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- ▶ (And so does (3a).)

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(3b) and (3c) differ in their attentive content.

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### → Mary didn't come

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### 3. Theory

- 3.1. Translation into logic
- 3.2. Semantics
- 3.3. Pragmatics

- (4) a. Of John, Bill and Mary, who came to the party?
  - b. John came.

- → Mary didn't come
- c. John came, or Mary and John.
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- → Mary didn't come
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  - b. John came.

- → Mary didn't come
- c. John came, or Mary and John.
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- (4) a. John came, or Mary, or John and Mary.
  - b. John came.
  - c. John came, or Mary and John.

(4) a. John came, or Mary, or John and Mary.  $p \lor q \lor (p \land q)$  b. John came. p c. John came, or Mary and John.  $p \lor (p \land q)$ 

Possibility: a set of worlds (a, b)

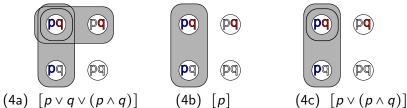
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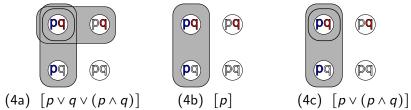
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(4a) 
$$[p \lor q \lor (p \land q)]$$
 (4b)  $[p]$  (4c)  $[p \lor (p \land q)]$ 

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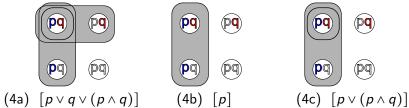


#### Entailment

A entails B,  $A \models B$ , iff

- (i)  $\bigcup A \subseteq \bigcup B$ ; and
- (ii) for all  $b \in B$ , if  $b \cap \bigcup A \neq \emptyset$ ,  $b \cap \bigcup A \in A$

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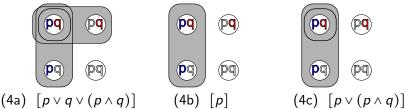
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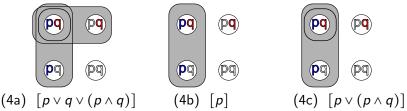
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at least  $A \models B$ .

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Now, (4c) = (4a), but  $(4b) \neq (4a)$ .

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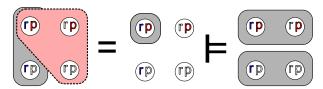
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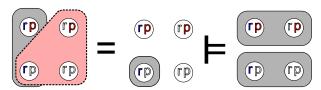
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- 3. **Relation**:  $\{r \cap s \mid r \in R\} \models Q$ .
- (5) Did John go to the party? It was raining. → If it rained, John {went / didn't go}.

(cf. Grice, 1975; Groenendijk and Stokhof, 1984; Roberts, 1996; Spector, 2007)

#### The relevant maxims

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#### 4. Results

- 4.1. Examples
- 4.2. What's happening
- 4.3. 'Alternatives'?
- 4.4. Main conclusion

(4) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ b. John came. (p)

c. John came, or Mary and John.  $(p \lor (p \land q))$ 

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3. - p \lor (p \land q) \models p \lor q \lor (p \land q) (Relation)
```

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$$s \subseteq |p|$$
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    - 1.  $s \subseteq |p|$ (Quality)
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- c. John came, or Mary and John.  $(p \lor (p \land q))$ 
  - 1.  $s \subseteq |p \vee (p \wedge q)| = |p|$
  - 2.  $s \notin |q|$

  - 3. -

 $p_{\Lambda}(b_{\Lambda}d) \models b_{\Lambda}d_{\Lambda}(b_{\Lambda}d)$ 

- (Quality)
- (Quantity)

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(Quality)

(Quantity)

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(Quality)

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 $pv(p \wedge q) \models pvqv(p \wedge q)$ 

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    - 1.  $s \subseteq |p|$ 2.  $s \notin |q|$

b **\**int\_{;;;}b^d^(b∨d)

(Quality) (Quantity)





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(Quantity)

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$$b \nvDash b \wedge d \wedge (b \vee d)$$

(Quality) (Quantity)





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(Quality)

2. *s* ⊈ |*q*|

 $p_{\lambda}(b \vee d) \models b_{\lambda}(a \wedge d)$ 

(Quantity)

3. -

- (4) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ 
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(Quantity) (Relation)

- (4) a. John came, Mary came, or both came  $(p \lor q \lor (p \land q))$ 
  - b. John came. (p)
    - 1.  $s \subseteq |p|$
    - 2.  $s \notin |q|$

$$b \nvDash b \wedge d \wedge (b \vee d)$$

(Quality) (Quantity)





- c. John came, or Mary and John.  $(p \lor (p \land q))$ 
  - 1.  $s \subseteq |p \vee (p \wedge q)| = |p|$

(Quality)

2. *s* ⊈ |*q*|

3. -

 $b \sim (b \sim d) \models b \sim d \sim (b \sim d)$ 

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 $br(bvd) \models brdr(bvd)$ 

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The maxim of Relation requires that: for each possibility the speaker *leaves unattended*, the speaker knows how it depends on the information she provided.

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Minimally, the semantics must lack the absorption laws:

▶ Absorption:  $p \lor (p \land q) \equiv p \equiv p \land (p \lor q)$ 

Existing approaches (since forever):

• 'Why did the speaker not say " $p \land q$ "?'

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#### Beware:

Speakers need not reason in terms of alternatives.

### 4.4. Main conclusion

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- If pragmatic reasoning is sensitive to attentive content (which it must be, to distinguish between (3b) and (3c));
- then exhaustivity is a conversational implicature.

## End of Part I

### Part II: Intonation and exhaustivity

- 5. Focus
- 6. The final rise

#### 5. Focus

- 5.1. Focus is necessary for exhaustivity
- 5.2. Domain restriction
- 5.3. How to enforce exhaustivity?
- 5.4. Hungarian vs. English focus
- 5.5. Experiments

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Some part of a declarative utterance must evoke all of the possibilities of the QUD.

(6) Who ate the tofu? [John]<sub>F</sub> ate the tofu. / # John ate the [tofu]<sub>F</sub>.

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- (6) Who ate the tofu? [John]<sub>F</sub> ate the tofu. / # John ate the [tofu]<sub>F</sub>.
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  - Focus is necessary for exhaustivity (as a C.I.).
  - However, it is not yet sufficient...



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Focus alone is not *sufficient*, because:

- Unless if we know the QUD's domain restriction,
- we don't know what the exhaustivity means (it could be vacuous)

But this too can be fixed:

(8) Of John, Bob and Mary, who ate the tofu?  $[John]_F$  ate the tofu.  $\rightarrow$  Bob and Mary didn't.

#### How can a speaker enforce exhaustivity?

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•	$What\ about$	cancellability	(	(appendix).
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► What about Hungarian focus? (5.4)

▶ What about experiments? (5.5)

Hungarian focus is *more* obligatory (Szabolcsi, 1981):

- (9) [Amy and Ben]<sub>F</sub> saw Cleo.  $\models$  [Amy]<sub>F</sub> saw Cleo.
- (10) [Amy és Ben]<sub>F</sub> látta Cleot.  $\not\models$  [Amy]<sub>F</sub> látta Cleot.

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#### The only possible explanation:

- Hungarian focus conveys that the domain is 'wide'.
- Prediction: no difference when domain is explicit.
- (12) Of Amy, Ben, and John, [Amy and Ben]<sub>F</sub> saw Cleo.  $\not\models$  Of Amy, Ben, and John, [Amy]<sub>F</sub> saw Cleo.



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# 5.5. Experiments

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- QUD and focus are left implicit;
   (or the wrong foci are compared (Zondervan, 2010))
- Domain restriction is left implicit;
- Level of granularity is left implicit;
- The experimental task may disable maxims;
- ► Intonation is not controlled for. (coming up next)

#### 6. The final rise

- 6.1. The sentence-final rise
- 6.2. Deriving the readings
- 6.3. General results
- 6.4. Contrastive topic
- 6.5. The bigger picture

(work in progress)

(13) Of John, Bill and Mary, who came to the party?

John came 

→ Mary and Bill didn't.

(13) Of John, Bill and Mary, who came to the party?

John came ↗. 

→ Mary and Bill didn't.

→ ...wait, there's more.

→ ...wait, there's more.

→ ...perhaps that implies sth. about M&B?

→ ...wait, there's more.

→ ...perhaps that implies sth. about M&B?

→ ...but I'm not sure.

→ ...wait, there's more.

→ ...perhaps that implies sth. about M&B?

→ ...but I'm not sure.

→ ...did I make myself clear?

- - → ...wait, there's more.
  - → ...perhaps that implies sth. about M&B?
  - c. John came <sup>⋆</sup> H.
    - → ...but I'm not sure.
    - → ...did I make myself clear?

- (13) Of John, Bill and Mary, who came to the party? John came <sup>≠ L</sup>. → Mary and Bill didn't. → ...wait. there's more. (Quantity) → ...perhaps that implies sth. about M&B? c. John came ₹ H. → ...but I'm not sure.

  - → ...did I make myself clear?

→ ...did I make myself clear?

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- - → ...but I'm not sure.
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## Proposal

1. The final rise marks the violation of a maxim.

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- 2. Its pitch conveys emotivity. (Banziger & Scherer, 2005)

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- 1. The final rise marks the violation of a maxim.
- 2. Its pitch conveys *emotivity*. (Banziger & Scherer, 2005)
- 3. This reflects the severity of the violation:
  - → H: Quality/Manner; (cf. Ward & Hirschberg, 1992)

(13) Of John, Bill and Mary, who came to the party? John came ₹ L. → Mary and Bill didn't. → ...wait. there's more. (Quantity) → ...perhaps that implies sth. about M&B? (Relation) c. John came ₹ H. → ...but I'm not sure. (Quality) → ...did I make myself clear? (Manner)

## Proposal

- 1. The final rise marks the violation of a maxim.
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- 3. This reflects the severity of the violation:
  - → H: Quality/Manner; (cf. Ward & Hirschberg, 1992)
  - ∠ L: Quantity/Relation.

This proposal is new in its generality, not in spirit.

(14) Of J and M, who came to the party?

John came 

✓.

$$(p \lor q \lor (p \land q))$$

$$(p)$$

(14) Of J and M, who came to the party?  $(p \lor q \lor (p \land q))$  John came  $\nearrow$ . (p)

wait, there's more.	(Quantity)
perhaps that implies sth. about Mary?	(Relation)
but I'm not sure.	(Quality)
did I make myself clear?	(Manner)

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(14) Of J and M, who came to the party?  (p \lor q \lor (p \land q))  John came \nearrow.  (p)  1. s \subseteq |p| (Quality) 2. s \notin |q| (Quantity) 3. s \subseteq |p| \cup |q| or s \subseteq |p| \cup |q| (Relation)
```

```
...wait, there's more. (Quantity)
...perhaps that implies sth. about Mary? (Relation)
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This would be a major advance in our understanding of intonation and information structure.

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- Facial expressions, gestures, ...

# End of Part II

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- The final rise conveys a maxim violation.

#### The End

#### **Articles**

- Exhaustivity through the maxim of Relation (LENLS proceedings, see staff.science.uva.nl/~westera/)
- 'Attention, I'm violating a maxim!' (submitted, available through me)

Thanks to the *Netherlands Organisation for Scientific Research* (NWO) for financial support; to F. Roelofsen, J. Groenendijk, C. Cummins, K. Von Fintel, A. Ettinger, J. Tyler, M. Križ, the audiences of *SemDial*, *S-Circle* (UCSC), *SPE6*, *ICL*, *CISI*, *ESSLLI StuS*, *LIRA*, *Göttingen*, *INSEMP*, and many anonymous reviewers for valuable comments.

# Grice on cancellability

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[...] since it is possible to opt out of the observation of [the Cooperative Principle], it follows that a conversational implicature can be cancelled in a particular case. (p.57)

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Cls in the sense of Grice (1975) cannot be cancelled in this sense:

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- 4. The speaker would be either uncooperative, or inconsistent.



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Many 'embedded' implicatures are in fact predicted.



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(Alternatively, use a final rise...)

#### Semantics

#### Restriction

A restricted to b,  $A_b := \{a \cap b \mid a \in A, a \cap b \neq \emptyset\}$ 

## Semantics (Roelofsen, 2011)

- 1. [p] = {{ $w \in Worlds \mid w(p) = true$ }}
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Minimally, the semantics must lack the absorption laws:

▶ Absorption:  $p \lor (p \land q) \equiv p \equiv p \land (p \lor q)$ 

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Wh-words are existential quantifiers over sets.

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Besides: this is the only way.

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But at least for 'simple' sentences:

• '[Subject]<sub>F</sub> predicate'  $\rightarrow$  'only [Subject]<sub>F</sub> predicate'.

Recall: A entails Q,  $A \models Q$ , iff

- (i)  $\bigcup A \subseteq \bigcup Q$ ; and
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### ii. and iii. are too strong:

▶ The participants need not already know how R is relevant.

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- (5) Did John go to the party? It was raining. → If it rained, John {went / didn't go}.



 $R_s \vDash Q$  'the speaker knows how R is related to Q'

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### Relatedness

A is related to Q in world w iff for some fact f,  $w \in f$ ,  $A_f \models Q$ .

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Within a world, everything is related.

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Logical consequence is logical relatedness.



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Final rise: 'For some maxim, I'm not sure whether or how I comply with it'.

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 or  $s \subseteq \overline{|p| \cup |q|} \cup \overline{|p| \cap |q|}$  (Relation)

4. 
$$s \subseteq (|p| \cap |q|)$$
 or  $s \subseteq \overline{|p| \cap |q|}$  (from 1 and 2)

Example given by Fox (forthcoming):

$$(p \lor q)$$
  $\rightarrow$  Not in both.

But a quizmaster is not expected to comply with Quantity!

1. 
$$s \subseteq |p| \cup |q|$$
 (Quality)

3. 
$$s \subseteq \overline{|p| \cup |q|} \cup (|p| \cap |q|) \text{ or } s \subseteq \overline{|p| \cup |q|} \cup \overline{|p| \cap |q|}$$
 (Relation)

4. 
$$s \subseteq (|p| \cap |q|)$$
 or  $s \subseteq \overline{|p| \cap |q|}$  (from 1 and 2)

Example given by Fox (forthcoming):

(25) There's money in box A or in box B!

$$(p \lor q)$$
  $\rightarrow$  Not in both.

But a quizmaster is not expected to comply with Quantity!

However, she *does* comply with Relation, Quality, Manner:

1. 
$$s \subseteq |p| \cup |q|$$
 (Quality)

3. 
$$s \subseteq \overline{|p| \cup |q|} \cup (|p| \cap |q|) \text{ or } s \subseteq \overline{|p| \cup |q|} \cup \overline{|p| \cap |q|}$$
 (Relation)

4. 
$$s \subseteq (|p| \cap |q|)$$
 or  $s \subseteq \overline{|p| \cap |q|}$  (from 1 and 2)

6. The quizmaster does not want to give it away.

Example given by Fox (forthcoming):

(25) There's money in box A or in box B!

 $(p \lor q)$   $\Rightarrow$  Not in both.

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 or  $s \subseteq \overline{|p| \cup |q|} \cup \overline{|p| \cap |q|}$  (Relation)

4. 
$$s \subseteq (|p| \cap |q|)$$
 or  $s \subseteq |p| \cap |q|$  (from 1 and 2)

6. The quizmaster does not want to give it away.

7. 
$$s \subseteq \overline{|p| \cap |q|}$$
 (from 4, 5 and 6)

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